

The effect of stellar pulsations on the mass loss of AGB stars

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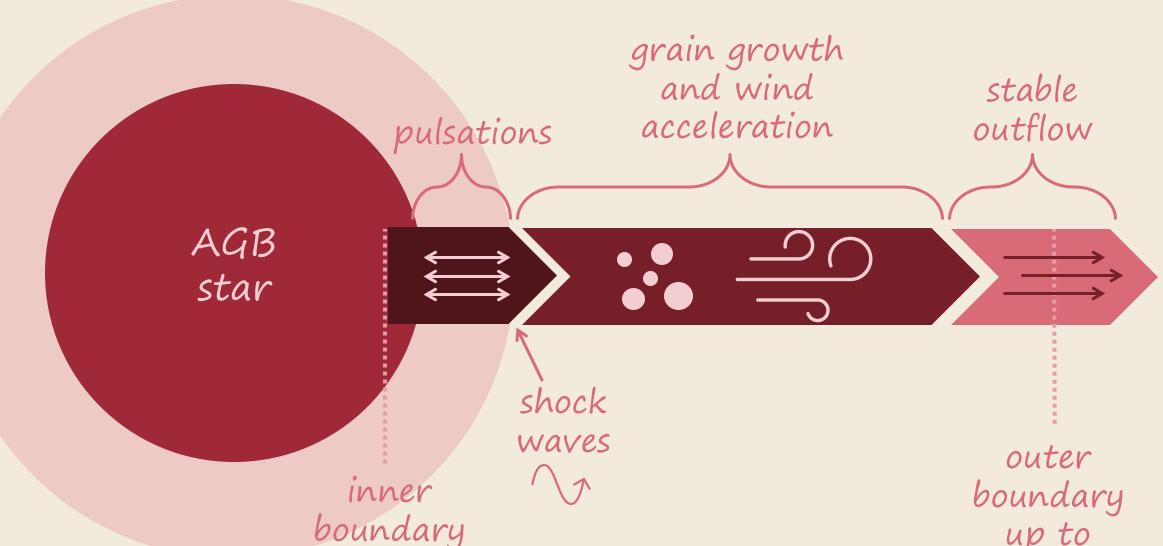
Introduction

Evolved stars on the asymptotic giant branch (AGB) lose mass through slow stellar winds, driven by radiation pressure on dust grains formed in the atmosphere. Stellar pulsations are critical to this process, as the timing between dust growth (typically at low temperatures, such as during luminosity minima) and increasing luminosity is essential for initiating the winds (Liljegren et al. 2016, A&A 589, A130).

This study investigates how the pulsation period influences stellar winds by computing two grids of 1D radiationhydrodynamical wind models using the DARWIN code (see the schematic on the right). The grids consist of models with varying stellar parameters, including effective temperature, luminosity, and mass. The periods for each grid are determined by a **luminosity or mean density relation**, as detailed below. For models that develop winds, dust and wind properties are calculated at the outer boundary.

DARWIN

Dynamic Atmosphere and Radiation-driven Wind models based on Implicit Numerics



up to ~25 R.

Schematic overview of a pulsating AGB star and the boundaries of the 1D radiationhydrodynamical code DARWIN that is used to compute the atmosphere and wind models. Pulsations are simulated by sinusoidal variations of the radius and luminosity at the inner boundary, defined by a pulsation period and a piston velocity amplitude.

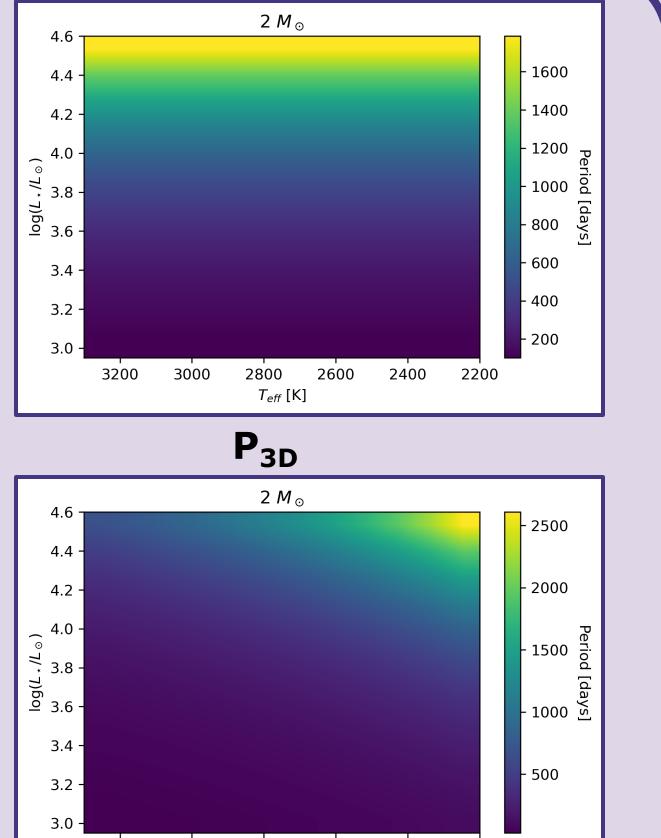
Most models with $2 M_{\odot}$ have shorter periods with P_{3D} compared to P_L - 1600 1400 P_{3D}/P_{L} 1200 1000 8 $2 M_{\odot}$ 800 4.6 · 1.4 600 4.4 400 - 1.2 4.2 -200 model grid 4.0 2400 2200 - 1.0 • • - 8.8 3.8 -3.6 -3.6 -- 0.8 P - 0.6 3.4 - 2500 Parameter combinations where 3.2 the ratio is closest to 1 2000 0.4 3.0 -- 1500 2600 2400 2200 3000 2800 3200 T_{eff} [K] - १००० 💆

Ratio between the two diagrams presented to the left. The model grid box show the range in temperature and luminosity for the $2 M_{\odot}$ models that we computed. Each square has a step size of 100 K and log 0.15 L_{\star}/L_{\odot} .

Pulsation periods

Period-luminosity relations (P_L) are derived by fitting a linear relation to the periods and bolometric magnitudes of observed stars. However, these observations show significant scatter, meaning stars with different luminosities may have similar periods. Another method for determining the period is through the **period-mean density relation** (P_{3D}) , which depends on both mass and radius. Ahmad et al. (2023, A&A 669, A49) derived such a period-mean density relation from their 3D models of AGB stars, providing a realistic representation of the scatter seen in observed stars.

In this study, we explore how these different period-relations affect the results of our atmosphere and wind models. The diagrams to the right show how the different pulsation



 $\mathbf{P}_{\mathsf{L}}^*$

periods change with effective temperature and luminosity for a $2 M_{\odot}$ star.

32	200	3000	2800	2600	2400	2200
T _{eff} [K]						

* From Whitelock et al. (2009, MNRAS 394, 795)

Results and conclusions

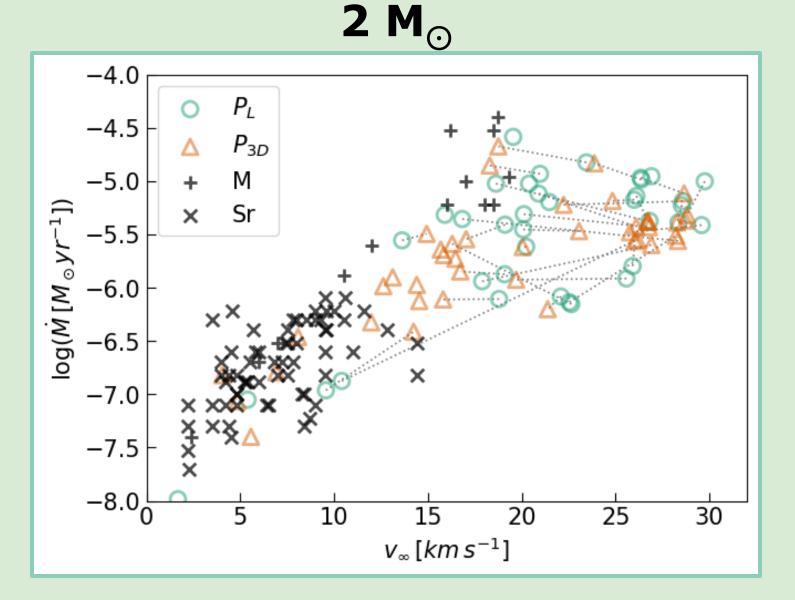


Fig. 1: Wind velocity vs mass-loss rate plot of the models (P_L , P_{3D}) compared to observations by González Delgado et al. (2003, A&A 411, 123) (M) and Olofsson et al. (2002, A&A 391, 1053) (Sr). Dotted lines connect models with identical stellar parameters (only differing in pulsation period).

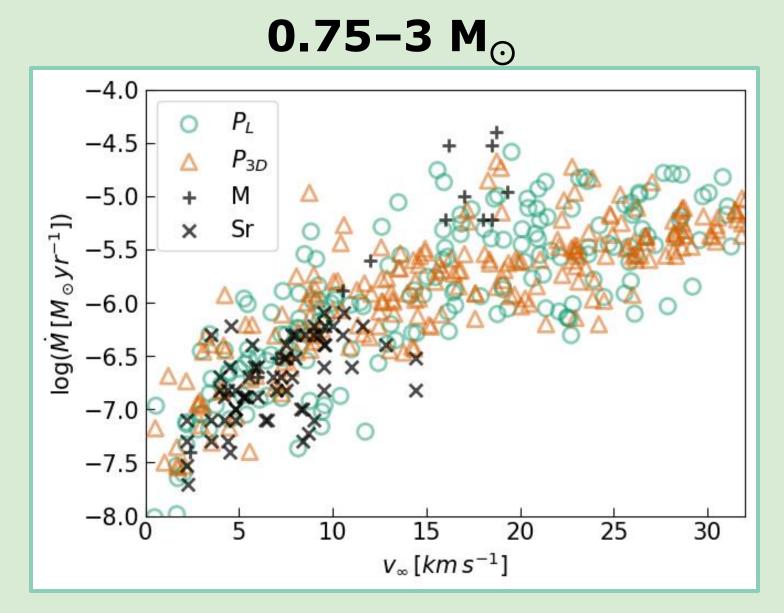


Fig. 2: Same as Fig. 1 but including models with 0.75, 1.0, 1.5, 2.0, 2.5 and 3.0 solar masses.

Changing the pulsation period leads to the following conclusions:

- \star Shorter periods \rightarrow More models result in winds, pushing the wind/nowind boundary in terms of stellar parameters
- \star These models show low mass loss rates/low wind velocities (see Fig. 1, triangles without connecting lines)
- ★ Large changes for individual models but the overall distribution of models is similar (see Figs. 1 and 2)



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